Example 1 - Woofer

Speaker Specifications

DC resistance R_e 6.4 Ohms BL product $B\ell$ 9.35 Newtons/Ampere $C_{\rm ms}$ Suspension compliance 0.81 mm/Newton Moving mass $M_{\rm ms}$ 32.8 grams Electrical Damping $Q_{\rm es}$ 0.47Mechanical Damping $Q_{\rm ms}$ 2.96 $211~\rm cm^2$ Piston Area SDVoice Coil Impedance L_e $2.36~\mathrm{mH}$

Lumped Parameter Model

See Appendix A for conversions.

 $\begin{array}{ll} R_e & 6.8 \; \Omega \\ R_m & 4.03 \; \mathrm{k}\Omega \\ C_m & 375 \; \mu \mathrm{Fd} \\ L_m & 70.8 \; \mathrm{mH} \end{array}$

Infinite Baffle

Transfer function (not including air loading)

$$T_1(S) = \frac{417S}{S^2 + 417S + 37612}$$

Poles are at S=-132 and S=-285 (over damped). Input impedance

$$Z_1(S) = 6.4 \frac{S^2 + 417S + 37612}{S^2 + 0.611S + 37612}$$

Poles are at $S = -3055 \pm 193j$.

Simple Enclosure

The Butterworth solution with no acoustic damping materials added occurs when

 $\begin{array}{lll} f_0 & 47 \; \text{Hz} \\ L_a & 53.9 \; \text{mH} & \text{or } 2.75 \times 10^{-7} \; \text{m}^5/\text{Newton} \\ V & 39.1 \; \text{liters} & \text{using } \rho c^2 = 1.42 \times 10^5 \; \text{Newtons/m}^2 \end{array}$

Transfer function (not including air loading)

$$T_1(S) = \frac{417S}{S^2 + 417S + 87086}$$

Input impedance

$$Z_1(S) = 6.4 \frac{S^2 + 417S + 87086}{S^2 + 0.662S + 87086}$$

Adding acoustic damping reduces the volume required, but also increases f_0 as shown in the following table.

R_a	L_a	V	F_0
100	43.8	31.8	50
50	36.5	26.5	53
25	26.8	19.4	59
10	13.6	9.87	77
Ω	mH	liters	Hz

Bass Reflex

A Butterworth solution with no acoustic damping materials added occurs when

 f_0 26 Hz

 C_a 487 μFd or 79.1 m⁻¹

 L_a 79.9 mH or 4.06×10^{-7} m⁵/Newton

V 58 liters

For example, one could use a port 5.63 cm long and 3 cm in diameter.

Transfer function (not including air loading)

$$T_1(S) = \frac{417S^2}{S^4 + 417S^3 + 9.67 \times 10^4 S^2 + 1.07 \times 10^7 S + 9.67 \times 10^8}$$

Input impedance

$$Z_1(S) = 6.4 \frac{S^4 + 417S^3 + 9.67 \times 10^4 S^2 + 1.07 \times 10^7 S + 9.67 \times 10^8}{S^4 + 0.661S^3 + 9.67 \times 10^4 S^2 + 1.7 \times 10^4 S + 9.67 \times 10^8}$$

For example, one could use a port 5.63 cm long and 3 cm in diameter.

Frequency Responses

In the following graph, the normalized response for infinite baffle is shown in red, the simple enclosure is shown in black and the bass reflex is shown in blue.

