

Introduction to Geometry

“to measure the Earth”

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The most recent development in geometry is fractal geometry by Benoit Mandelbrot.

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Forces students to practice algebra skills.

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General Relativity is not only non-Euclidean, it warps time as well.

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Fractal antennas are used in cell phones to make them smaller.